

# New method of Current Measurement in AC Drives to Achieve More Accuracy and Less Dissipation

Siamak Hamzeei, Yser Noori Shirazi, Majid Aghababae, Vahid Riazi

**Abstract**— Speed and Voltage sensor-less control requires current measurement that Provides accurate control with low cost, noise and Complexity. Engine current measurement is essential to eliminate torque distortion achieving uniform torque.

The most common method of current estimating is inserting sensing resistance in the path of unknown current. This method incurs massive power dissipation in high output current. The resistance depends on temperature changes and tolerance. Using self-tune method is preferred for eliminating bad effect of heat temperature, components tolerance and noise.

In this paper, we solve this problem with using filter-based self-tune current measurement. But the sensed current of filter based method is low and can be cut by noise and is not accepted for current control. So we can use combined method to improve SNR.

**Index Terms**— current measurement, combined sensing, filter, compensation, calibration.

## I. INTRODUCTION

Current measurement has many applications in power electronics and motor drives. Current measurement is used for control, protection, monitoring, and power management purposes. Parameters such as low cost, accuracy, high current measurement, isolation needs, broad frequency bandwidth, linearity and stability with temperature variations, high immunity to dv/dt, low realization effort, fast response time, and compatibility with integration process are required to ensure high performance of current sensors.

In 2006, J. Sun et.al[1] had performed investigations in order to measure resistor-based drive current using an external sensing resistance. In this way, current was measured by inserting sensing resistance in the path of unknown current and estimating voltage across the resistor. This method is used for correcting power factor and protecting against overcurrent due to its simplicity and

accuracy. The main problem in this method is that it incurs significant power loss in a sense resistor,  $R_{sense}$  and also is required a noise filter for deducing noise in the output.

In 2007, B. Mammano[2] applied an inductor in order to avoiding the sense resistor and reducing derived power dissipation. This method is suitable in low current inverters but the problem is that the measured current is not accurate and also since inductor winding is made of copper, hence the specific thermal coefficient of copper would be applied. These problems led to other investigations for instance E. Persson[3] et.al used the MOS transistors instead sensing resistor. Of course, in this case the main problem is that rejection or non-admission of common condition is existed in the measured current which alternative methods should be used in order to resolve this problem. This article is concerned about those methods.

## II. CURRENT SENSING TECHNIQUE USING THE INTERNAL RESISTANCE OF AN INDUCTOR AND THE FILTER

The basic idea for this technique is taken from the resistive-based current sensing using external sense resistor. At higher frequencies, the parasitic equivalent inductance of resistor  $R_{sense}$  appears. Hence, it is necessary to compensate for the parasitic inductance. The equivalent circuit of  $R_{sense}$  for this case is given in Figure 1.[1-2]

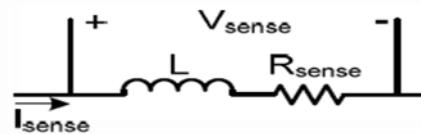


Figure 1. Equivalent circuit of  $R_{sense}$

Voltage  $V_{sense}$  is given by

$$V_{sense}(s) = (R_{sense} + Ls)I_{sense}(s) = K * I_{sense}(s) \quad (1)$$

At lower frequencies, voltage  $V_{sense}$  is proportional to current  $I_{sense}$ . At higher frequencies, gain  $K$  increases due to the parasitic inductance. A proper low pass filter, which can be active or passive, is required for compensating the gain  $K$ . If a passive  $R_f C_f$  low pass filter is used, the voltage across the filter ( $V_{cf}$ ) is then given by equation 2.

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$$V_{Cf}(s) = \left( \frac{R_{sense} + Ls}{1 + R_f C_f s} \right) I_{sense}(s) \quad (2)$$

As mentioned in previous Section , inductor windings have DCR or internal resistance  $R_L$ . It is possible to use the DCR of inductor  $L$  as  $R_{sense}$  and inductor  $L$  itself as parasitic inductor in above case. Therefore, the filter-based current sensing technique uses the resistor  $R_L$  of inductor  $L$  and passive filter  $R_f C_f$ , as shown in Figure 2, for accurate current sensing. The total impedance of the  $R_f C_f$  filter is same as the total impedance of  $L$  and  $R_L$ . This technique is currently popular because of its accuracy, loss lessness, and high bandwidth. Other advantages of this technique include; continuous current measurement, low cost, PCB space saving, and power efficiency improvement.

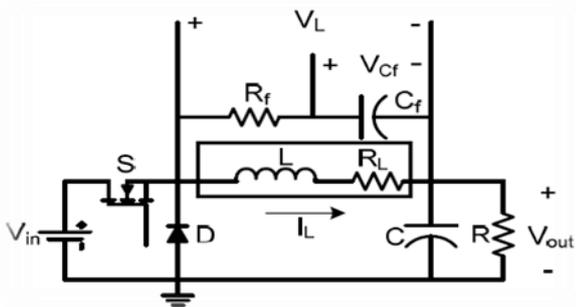


Figure 2. Filter-based current sensing technique

This technique detects the current  $I_L$  signal by sensing capacitor  $C_f$  voltage ( $V_{Cf}$ ).

Voltage  $V_{Cf}$  is given by

$$V_{cf}(s) = I_L(s) \left( \frac{R_L + Ls}{1 + R_f C_f s} \right) \quad (3)$$

The parallel  $R_f C_f$  filter is designed in such a way that (4) and (5) are

Satisfied:

$$R_f C_f = \frac{L}{R_L} \quad (4)$$

$$\frac{L}{R_L} \gg T \quad (5)$$

Where  $\tau_L = L/R_L$  is an inductor time constant and  $\tau_C = R_f C_f$  is a low pass filter time constant. It is very difficult to satisfy (4). However, it is easy to satisfy (5) because the switching frequency is usually in the order of a few hundred kHz and resistance  $R_L$  is in milliohms.

If (4) and (5) are satisfied, the inductor current  $I_L$  is given by

$$I_L = \frac{V_{cf}}{R_L} \quad (6)$$

Figure 3 shows the response of voltage  $V_{Cf}$  and  $V_{RL}$  when time constants  $\tau_L$  and  $\tau_C$  match.

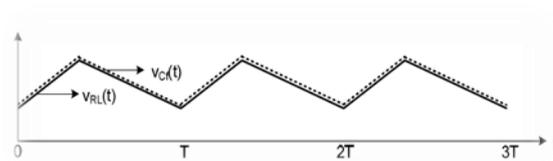


Figure 3. Voltage  $V_{Cf}$  and  $V_{RL}$ , when  $\tau_L = \tau_C$

It is possible that the time constants will not match; one time constant can be greater or less than the other due to the tolerance of components, temperature dependence of  $R_L$ , and change in inductance due to dc current bias. Figure 4 shows the response of voltage  $V_{Cf}$  in steady state. When switch  $S$  is on, current  $I_L$  increases at a rate of  $(V_{in} - V_{out})/L$  and capacitor  $C_f$  gets charged. When the freewheeling diode is on and switch  $S$  is off current  $I_L$  decreases at a rate of  $(-V_{out})/L$ , and capacitor  $C_f$  gets discharged. From charging and discharging rates, it is possible to find the slope of voltage  $V_{Cf}$ .

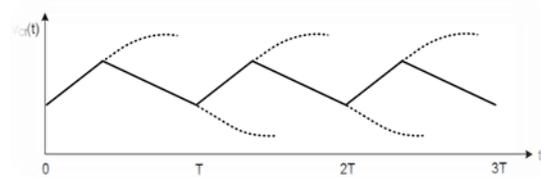


Figure 4. Voltage  $V_{Cf}$  in steady state

If time constants  $\tau_L$  and  $\tau_C$  are not matched, then peak to peak ripple of voltage  $V_{Cf}$  gets bigger or smaller than the peak-to-peak voltage ripple across resistor  $R_L$  generated by ac component of the current  $I_L$ . This will change the slew rate of voltage  $V_{Cf}$  of Figure 4.

### III. FILTER-BASED CURRENT SENSING WITH TEMPERATURE COMPENSATION

An error is introduced in filter-based current sensing due to the temperature dependency of resistor  $R_L$ . To minimize this error, resistor ( $R_{Cf}$ ) is added across the capacitor  $C_f$  for temperature compensation, as shown in Figure 5.  $R_{Cf}$  is the combination of resistors  $R_e$ ,  $R_g$ , and  $R_{NTC}$ .  $R_{NTC}$  is a negative temperature co-efficient resistor.[3]

Resistor  $R_{Cf}$  can also use for scaling down the detected current.

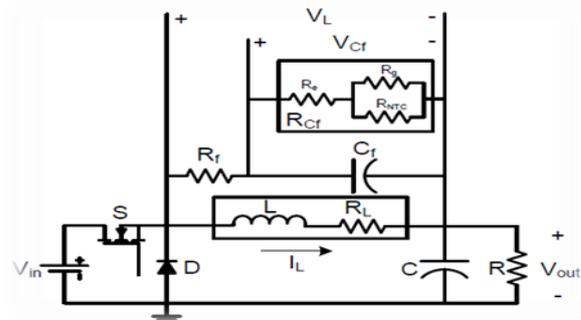


Figure 5. Filter-based current sensing with temperature compensated network

The addition of resistor  $R_{Cf}$  to the circuit changes the filter time constant. The new filter time constant is given by

$$\tau_c = C_f \left( \frac{R_f R_{Cf}}{R_f + R_{Cf}} \right) \quad (7)$$

If  $R_{Cf}$  is added to the circuit and time constants  $\tau_L$  and  $\tau_c$  are matched, the voltage  $V_{Cf}$  is given by (8). The DC voltage on the filter capacitor is level shifted by the factor  $R_{Cf} / (R_{Cf} + R_f)$  in the presence of resistor  $R_{Cf}$ , as shown in Figure 6.

$$V_{cf} = I_L \left( \frac{R_L R_{cf}}{R_f + R_{cf}} \right) \quad (8)$$

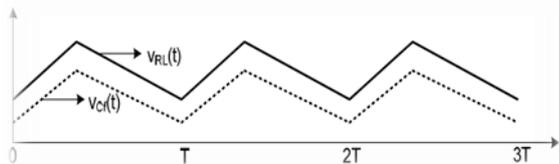


Figure 6. Voltage  $V_{Cf}$  and  $V_{RL}$ , when  $\tau_L = \tau_c$ , and resistor  $R_{Cf}$  is added into the circuit

#### IV. FILTER-BASED CURRENT SENSING WITH ACCURATE RL

If the filter-based current sensing technique is used for over current protection, and time constant  $L \tau$  is greater than time constant  $\tau_c$ , the over current protection circuit can trip at a lower than desirable current. When time constant  $\tau_L$  is less than time constant  $\tau_c$ , the response is opposite. This is due to the fact that the value of  $R_L$  is not accurate; it is greater than the desired value. In order to deal with  $R_L$  parameter uncertainty, a modified current sensing circuit for over current protection is shown in Figure 7. Design steps for this technique are given below:[4]

If  $V_1$  is the tripping voltage,  $I_1$  is the tripping current, current  $I_1$  is given by

$$I_1 = \frac{V_1}{R_1} \quad (9)$$

In order to get actual value of  $R_L$ , a desired sense resistance  $R_{sense}$  can be calculated from below

$$R_{sense} = \frac{V_1}{I_1} \quad (10)$$

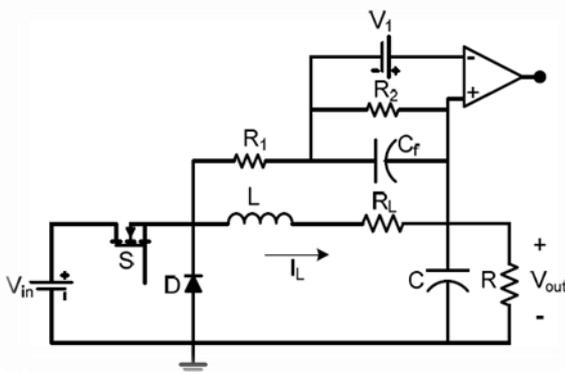


Figure 7. Filter-based current sensing with accurate  $R_L$

Once the value of  $R_{sense}$  is known, then the value of inductor  $L$  can be found from the value of  $R_L$ , which can be determined by

$$R_L \geq R_{sense} \quad (11)$$

The maximum value of  $L$  at zero current and the minimum value of  $R_L$  at room temperature are measured to find value of time constant  $\tau_c$  :

$$R_{Fmin} C_{Fmin} > \frac{L_{max}}{R_{Lmin}} \quad (12)$$

If  $R_L$  is greater than  $R_{sense}$ , then the values of resistances  $R_1$  and  $R_2$  must be selected in such a way that (13) is satisfied.

$$\frac{R_2}{(R_1 + R_2)} = \frac{R_{sense}}{R_L} \quad (13)$$

$R_f$  of Figure 2 is equivalent to the resultant resistance of the parallel connection between resistors  $R_1$  and  $R_2$  in Figure 7.  $R_L$  of Figure 2 is equivalent to  $R_L * R_2 / (R_1 + R_2)$  in Figure 7.

#### V. COMBINED-SENSE TECHNIQUE

The sensed current in the filter-based current sensing has low magnitude and is susceptible to the interruption of noise, which is not acceptable in case of current-mode control. In order to solve this problem, a new technique is shown in Figure 8. This technique provides better SNR of the sensed current. Combined-sense technique includes additional switches  $S_3, S_4$ , resistor  $R_d$ , and capacitor  $C_d$  in filter-based current sensing, as depicted in Figure 8.

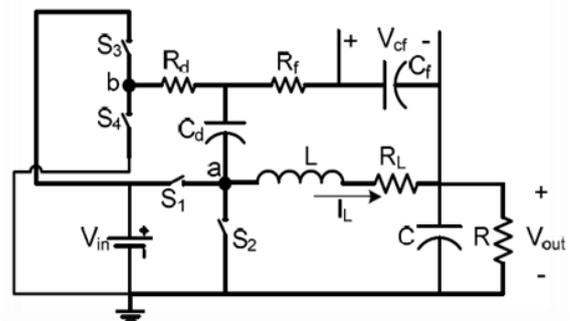


Figure 8. Combined-sense technique

Switches  $S_3$  and  $S_4$  are connected to node b. One end of their series connection is connected to  $V_{in}$  and the other is connected to the ground. Switches  $S_1$  and  $S_2$  are connected to node a. RDS of switches  $S_1, S_4$  are added into the filter according to the switching pattern. When switches  $S_1$  and  $S_3$  are on and  $S_2$  and  $S_4$  are off, the resistance of filter includes the  $R_{DS}$  of both switches  $S_1$  and  $S_3$ . Similarly, when switches  $S_2$  and  $S_4$  are on and  $S_1$  and  $S_3$  are off, the resistance of filter includes the  $R_{DS}$  of both switches  $S_2$  and  $S_4$ . In this way, the current can be sensed at any time during the cycle. The increased sense circuit resistance increases the voltage  $V_{Cf}$ , so the output signal is clean and less susceptible to noise. When the switches change their states from on to off or off to on, they temporarily fall into off state.

The resistor  $R_d$  and capacitor  $C_d$  work as a low pass filter ( $R_d C_d$ ) during this dead time to block the high frequency transient signal from affecting the current sense signal. The  $R_d C_d$  filter also synchronizes the operation of nodes a and b. Voltages at points a and b ( $V_a$  and  $V_b$ ) are depicted in Figure 9. Voltage  $V_a$  is a bit lower than voltage  $V_{in}$  and voltage  $V_b$  is approximately same as voltage  $V_{in}$ . Because the rating of switches  $S_1$  and  $S_2$  are higher than the ratings of switches  $S_3$  and  $S_4$ . Filter  $R_d C_d$  averages the voltage difference for cleaner and exact current measurement [5].

To achieve continuous current measurement with accuracy, loss depression, low switching noise, and high bandwidth, a modified technique is introduced as in Figure 10.

The sensed circuit is calibrated and tuned during the start-up and the inductor current is measured during normal operation, which ensures accuracy along with continuous current measurement benefits. The  $g_m C_f$  filter is a first order low pass filter. It is designed separately for each application as the inductor specifications are determined resistance  $R_f$  are variable. It is possible to change the frequency  $f_c$  by changing the value of  $R_f$  and to change the filter gain by changing the value of  $g_m$ . The  $g_m C_f$  filter gives accurate current measurement after tuning and calibration.

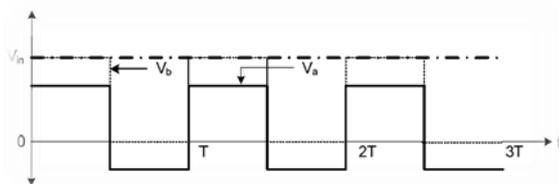


Figure 9. Voltages  $V_a$  and  $V_b$  in combined-sense technique By applying voltage  $V_L$  to a  $g_m C_f$  filter, whose voltage frequency response matches the current response of the inductor, one can write

$$I_L(s) \left( \frac{(R_L) + Ls}{1 + R_f C_f s} \right) V_{cf}(s) = g_m R_f \quad (14)$$

If  $R_f$  is adjusted to match the both time constants (equation (4)), current  $I_L$  is given by

$$I_L = \left( \frac{V_{cf}}{(g_m R_f) R_L} \right) \quad (15)$$

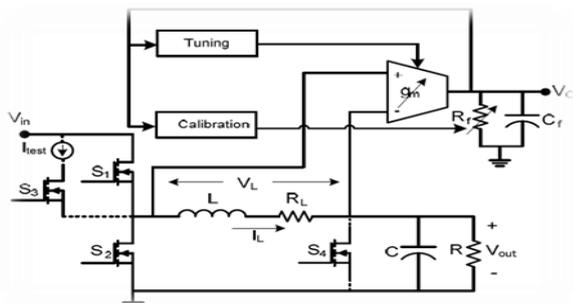


Figure 10. Filter-based technique with self-tuning and self-calibration

Here,  $(g_m R_f) R_L$  is current sensing gain, which can be adjusted to any value by changing  $R_f$  and or  $g_m$ . Tuning and calibration are performed during the start-up to adjust the filter gain-bandwidth product and filter dc gain for accurate current measurement, as shown in Figure 11.

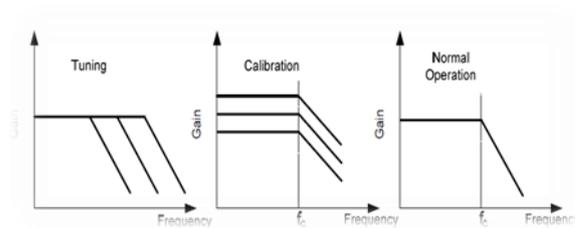


Figure 11. Tuning, calibration, and normal operation for filter-based current sensing technique

As tuning and calibration are performed during the start-up, switches  $S_1$  and  $S_2$  are kept disabled, so no power is lost during normal operation. This technique measures the inductor current during normal operation. Switches  $S_1$  and  $S_2$  are kept off and switches  $S_3$  and  $S_4$  are turned on during start-up for tuning purpose, as shown in Figure 10. A small AC test current, triangular in shape, is injected into the circuit, as shown in Figure 12 [6]. The test current's frequency is high enough that the voltage across inductor is dominated by inductance  $L$  and not by resistance  $R_L$  because inductor impedance is higher than resistance  $R_L$  at higher frequencies. The resulting ac voltage signal across inductor  $L$  is a square wave. The  $g_m C_f$  filter converts this square wave voltage  $V_L$  into the triangular wave voltage  $V_L$  because capacitor impedance is smaller than resistance  $R_f$  at higher frequency. Resistor  $R_f$  is kept at its minimum value to reduce the DC offset during the tuning process. The filter output is then buffered and the DC component is removed.

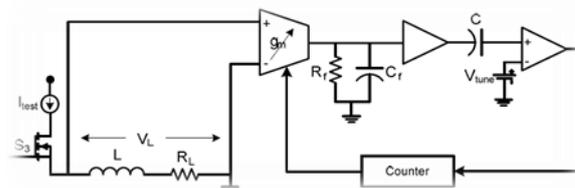


Figure 12. Tuning operation for filter-based current sensing technique

The peak of the AC portion of voltage  $V_{cf}$  matches with the tune voltage  $V_{tune}$  by adjusting  $g_m$ . Once both voltages are matched, the comparator stores their values and sends a stop signal to the counter. The calibration phase immediately follows the tuning cycle. A small DC test current is supplied to the inductor for calibration, as shown in Figure 13. The value of filter resistance  $R_f$  is adjusted in the calibration process to match  $V_{cf}$  with the calibration voltage  $V_{cali}$ .

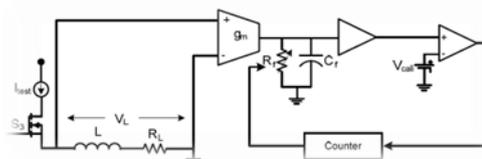


Figure 13. Calibration operation for filter-based current sensing technique

During tuning  $g_m C_f$  filter's cutoff frequency is matched with the inductor's cutoff frequency, so (16) is satisfied. During the calibration process, the current sensing gain  $(g_m R_f) R_L$  is adjusted to any value. If the value of the gain  $(g_m R_f) R_L$  is set to 1 ohm, then the value of  $V_{Cf}$  can directly provide information about inductor current

$$I_L = V_{cf} \quad (16)$$

Once tuning and calibration parameters are properly set and stored, the converter is allowed to operate normally.

## VI. CONCLUSION

Current measurement has many applications in power electronics and motor drives. Current measurement is used for control, protection, monitoring, and power management purposes. Parameters such as low cost, accuracy, high current measurement, isolation needs, broad frequency bandwidth, linearity and stability with temperature variations, high immunity to  $dv/dt$ , low realization effort, fast response time, and compatibility with integration process are required to ensure high performance of current sensors. In most methods, measurement accuracy is depend on certain parameters such as resistance value in resistor-based current sensing.

This value is exposed to temperature changes and inaccuracy. It is better to use self-tuning methods in order to remove undesirable effects resulting from temperature, component tolerance and noise. Current is sensitive to component temperature, noise and operation conditions. The solution is to use self-tuning (self-calibration) methods in which parameter will be self-tuned. In this article, we examine filter-based current sensing with self-tuning in order to overcome this problem. Since current has a low value and susceptible to noise cut-off, hence it is not accepted for controlling the current condition. Thus combined sensing method can be used as an alternative. Advantages are: loss lessness, accuracy, low switching noise, continuous current measurement, increasing SNR ratio and also matching time constants.

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